The zero-field splitting found with tetrahedral cobalt(II) can also exert a significant influence on the susceptibilities. Since this effect is usually of the same magnitude as the J's reported³ (for example, it is about 9.4° K in (Et₄N)₂CoCl₄⁴), it is dangerous to omit this effect from such data analyses. Using a molecularfield approach similar to that reported for nickel salts⁵ we have calculated exactly the energy levels and resulting susceptibility of tetrahedral cobalt(II) and used a least-squares procedure to fit the data reported earlier³ for the representative compound Co₂(phthalazine)Cl₃. The parameters $\langle g \rangle = 2.25, D/k = 22.9^{\circ}$ K, $E/k = 12.5^{\circ}$ K, and $2Jz/k = 11.0^{\circ}$ K fit the measured susceptibilities within the stated accuracy of 1%, while the set of parameters $\langle g \rangle = 2.22, D/k = 107.4^{\circ}$ K, and $E/k = 2Jz/k = 0^{\circ}$ K fits the data almost as well.

Thus, we conclude along with Lever, Thompson, and Reiff³ that exchange interaction may be present in this compound, although the experimental data presently available are not adequate to distinguish between intermolecular and intramolecular effects. Measurements at lower temperatures, particularly on single crystals, are required before one can conclude unambiguously that intramolecular interaction is present.

Acknowledgment.—This research was supported by the National Science Foundation.

(4)	J.	N.	Mc	Elearr	iey,	G.	E.	Shank	le,	R.	w.	Schv	vartz,	and	R.	L.
Carlin	1, 5	Т. Cł	iem.	Phys,	56,	375	5(1	972):								
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(5) S. Takayanagi and T. Watanabe, J. Phys. Soc. Jap., 28, 296 (1970).
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Reply to "A Caveat on Exchange Interactions"

Sir:

The basic premise that, *under certain circumstances*, the magnetic effects of zero-field splitting may be confused with those due to an exchange interaction of comparable magnitude is, of course, correct.

In binuclear $S = \frac{1}{2}$ complexes, for example (as cited by Carlin¹), a small exchange interaction energy (J) may give rise to magnetic properties similar to those arising from a zero-field splitting of similar magnitude. In such cases the splitting of the ground-state spin manifold is 2J and D, respectively, and low-temperature (<80°K) and magnetic anisotropy studies would be needed to distinguish the source of such behavior.

However, in the systems we have studied,² with $S = \frac{3}{2}$ ions, the overall splitting of the ground-state spin manifold is |12J|, and a value of D, much larger than J, is needed to simulate magnetic behavior.

To confirm this qualitative prediction the data for several of the binuclear cobalt(II) derivatives² (that with highest J, that with lowest J, and an intermediate case) were recalculated assuming that the magnetic

R. L. Carlin and J. N. McElearney, *Inorg. Chem.*, **11**, 2291 (1972).
A. B. P. Lever, L. K. Thompson, and W. M. Reiff, *ibid.*, **11**, 104 (1972).

behavior arises solely through the presence of a zero-field splitting of the ${}^{4}A_{2}$ (in T_{d}) ground state.

Using an appropriate set of equations^{3,4} the following values of D and g will fit the observed data within the temperature limits of the experiment

	D, cm ^{−1}	g	J, cm ^{~1} ²
(phthalazine)Co ₂ I ₃	81	2.15	-5.5
(phthalazine)Co ₂ Cl ₃	52	2.25	-3.4
$(2-methylpyrazine)_2Co_2Br_4$	34	2.35	-1.6

It is evident that a very large D value is needed to simulate the behavior of a relatively small exchange interaction (also quoted above).

The zero-field splitting arises from a spin-orbit interaction between the ground-state spinors and components of excited states whose degeneracy has been lifted by a noncubic crystal field. While D values are commonly very small (usually less than 10 cm⁻¹) tetrahedral cobalt(II) complexes might give rise to larger values since the first excited state (⁴T₂) lies comparatively close (4000-4500 cm⁻¹ in these cases) to the ground state. In axial systems a splitting of the excited state of ΔE , lying at $\sim 10Dq$ above the ground state, will lead³ to an approximate D of $8\lambda^2\Delta E/(10Dq)^2$.

To obtain $D = 80 \text{ cm}^{-1}$, for example, a splitting of the ${}^{4}\text{T}_{2}$ state of close to 10,000 cm $^{-1}$ would be needed, while for D = 34, the splitting is close to 3500 cm^{-1} .

These derivatives have a CoN2X2 chromophore of approximately C_{2v} symmetry. While the validity of such a first-order evaluation of the magnitude of D may be questioned, it is evident that such a stereochemistry does not give rise to a very large zero-field splitting. This is exemplified by the observation that complexes such as the "tetrahedral" pyridinecobalt halides $((py)_{2})$ -CoX₂) have magnetic moments, at least within the range 78-300°K, with little dependence on temperature.⁵ For example the complexes $(3-pic)_2CoI_2$ and $(3-pic)_2$ - $CoBr_2$ can be fitted⁵ with D = 15-20 cm⁻¹. The very high values of D necessary to fit most of the diazine complexes leave little doubt that the magnetic behavior of these binuclear cobalt(II) complexes² is indeed correctly interpreted in terms of a dominant exchange interaction. Certainly there will be some zero-field splitting, and when low-temperature $(<80^{\circ}K)$ studies of the magnetism of these complexes are carried out such splitting should be included in their analysis. There is little to gain, however, from including this parameter into the higher temperature analysis.

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 $(5)\,$ B. Kennedy, A. B. P. Lever, and B. S. Ramaswamy, unpublished observations.

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RECEIVED MARCH 17, 1972

⁽³⁾ B. N. Figgis, Trans. Faraday Soc., 56, 1553 (1960).

⁽⁴⁾ The equations employed apply to an axial perturbation which splits the $4A_2$ term into two doubly degenerate spin states $(\pm^{1/2} \text{ and } \pm^{3/2})$ separated by *D*. While the calculation is only to first order, and an axial perturbation may not be entirely appropriate here, the calculation should serve to provide an order of magnitude value of *D* needed to solve the experimental data.